Difference in Differences

Causal Inference Discussion Section

Reminders & Announcements

- PS5 due tomorrow by 11:59pm
- Peer reviews will be due next Friday
- Project Task 3 & 4 Check-In due Sunday, November 17th @ 11:59pm
 - Meet with your group!!!
 - Final paper due last day of class (Dec 5)
 - Video due Dec 18th

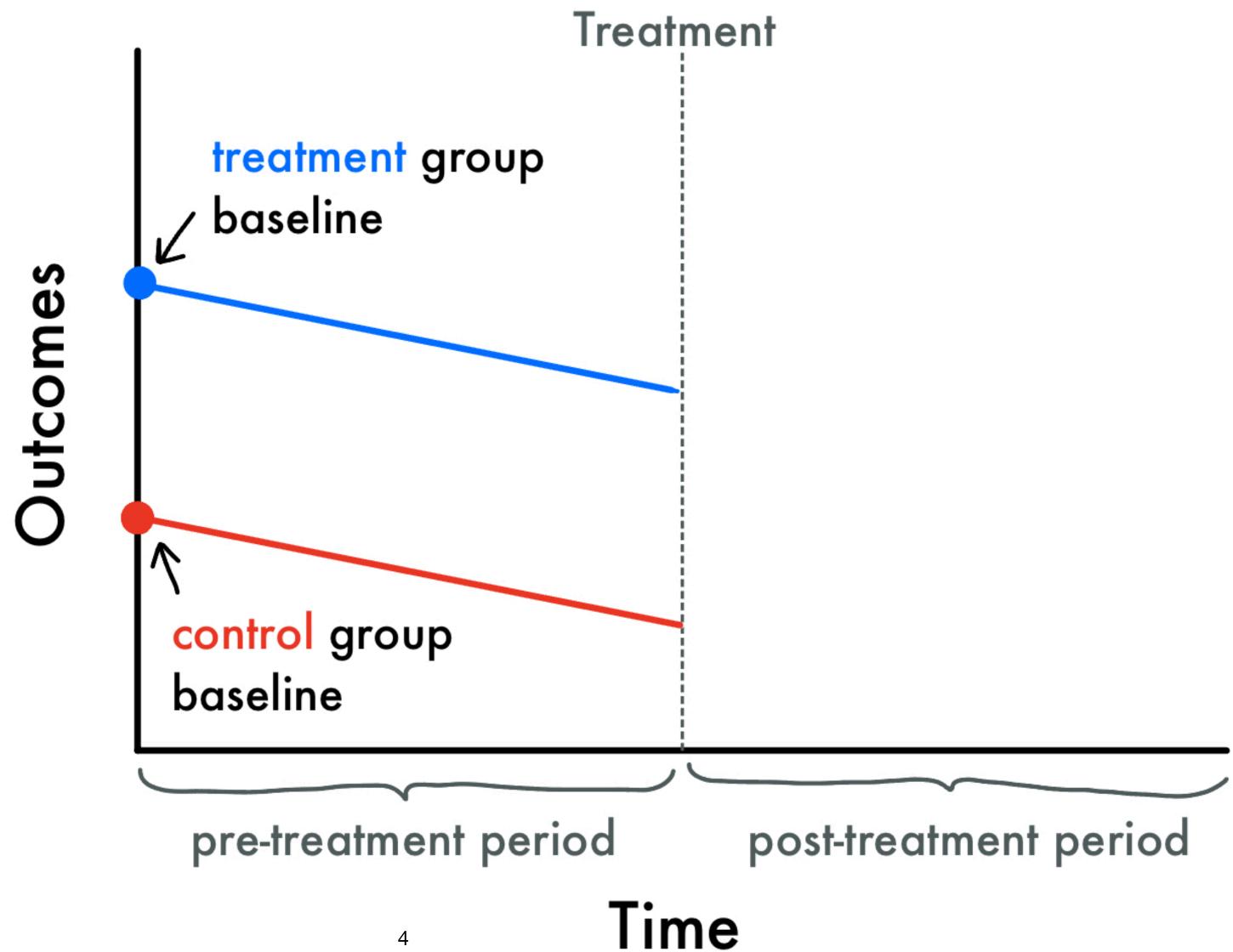
Group Activity

Difference in Differences (DID) - Parallel Trends

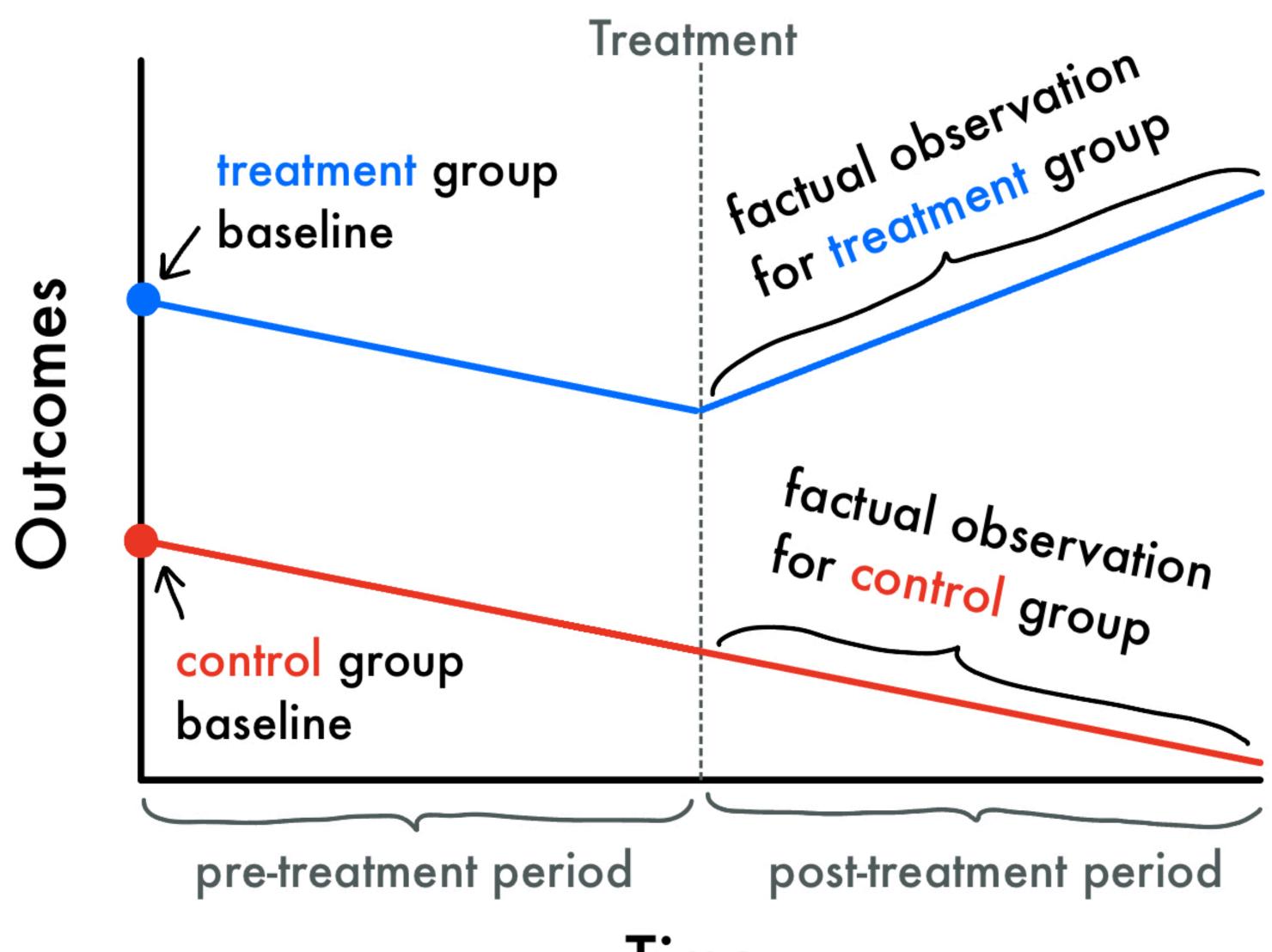
In groups, discuss the parallel trends assumption for DID designs.

- What do we mean by parallel trends?
- Is this an assumption on the data in the pre-treatment or post-treatment periods?
- Is this an assumption about the treatment group, the control group, or both?

Visual illustration

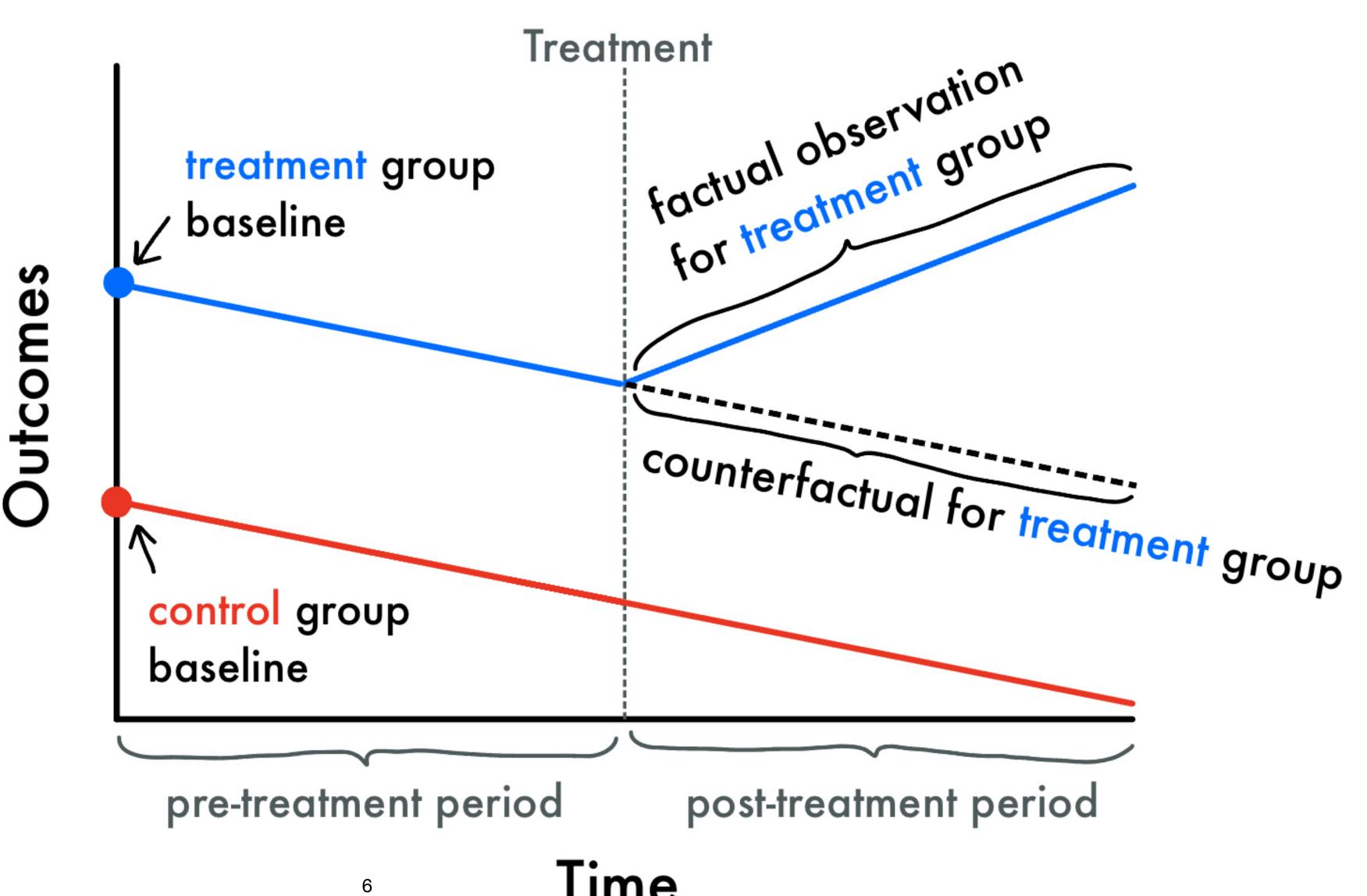


Visual illustration

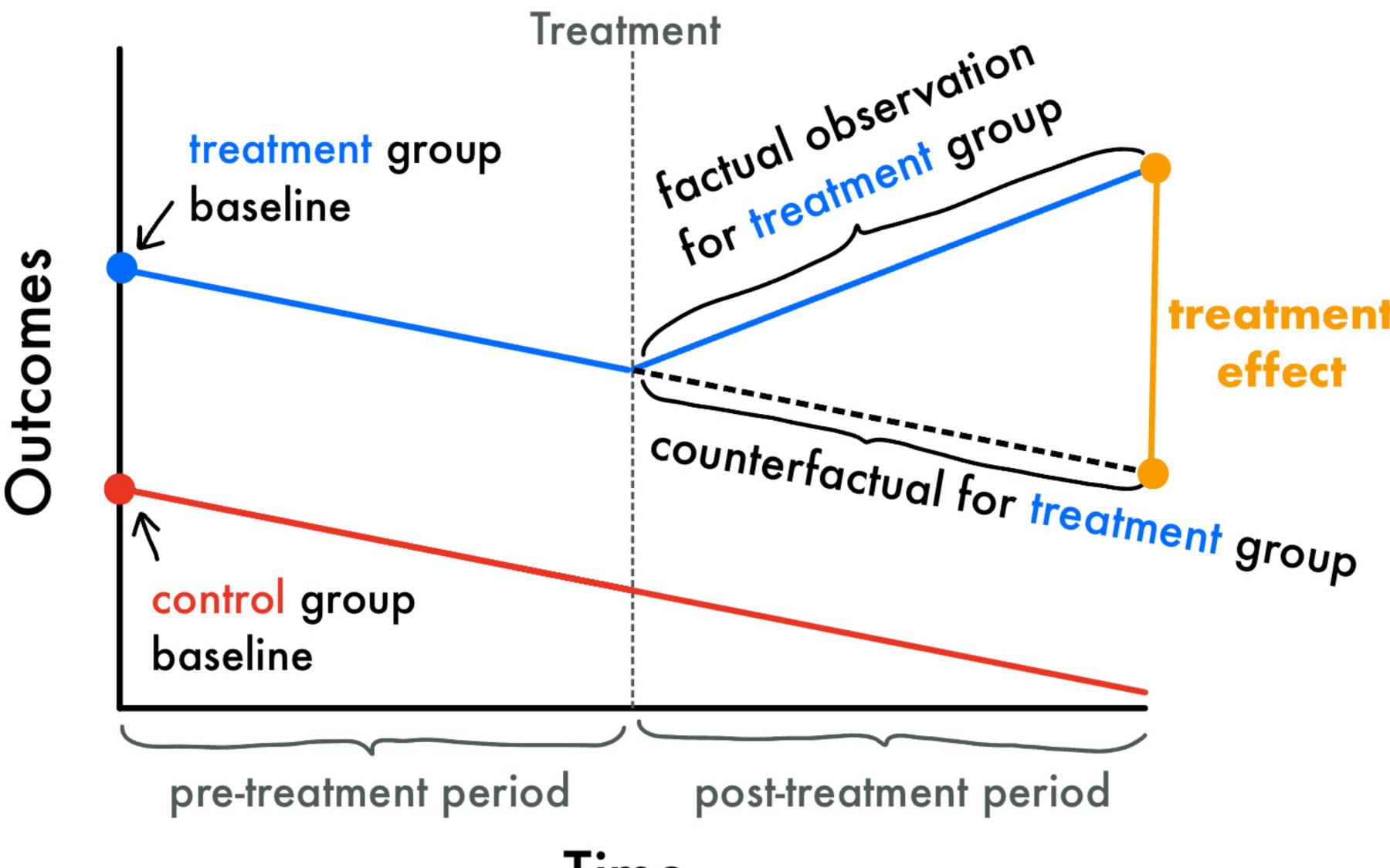


Visual illustration

Parallel trends assumption!!!



Visual illustration



Time

Intuitive Idea

| Group | Time Period | Outcome | Difference 1 | Difference 2 |
|-----------|----------------|---------|--------------|--------------|
| | Pre-treatment | | | |
| Treatment | Post-treatment | | | |
| Control | Pre-treatment | | | |
| Control | Post-treatment | | | |

Intuitive Idea

Different baseline outcomes

| | Group | Time Period | Outcome | Difference 1 | Difference 2 |
|--|-----------|----------------|-----------|--------------|--------------|
| | Treatment | Pre-treatment | $Y = B_1$ | | |
| | | Post-treatment | | | |
| | Control | Pre-treatment | $Y = B_0$ | | |
| | | Post-treatment | | | |

Intuitive Idea

Time effect T

Treatment effect D

| | Group | Time Period | Outcome | Difference 1 | Difference 2 |
|--|-----------|----------------|-------------------|--------------|--------------|
| | Treatment | Pre-treatment | $Y = B_1$ | | |
| | | Post-treatment | $Y = B_1 + T + D$ | | |
| | Control | Pre-treatment | $Y = B_0$ | | |
| | | Post-treatment | $Y = B_0 + T$ | | |

Intuitive Idea

Parallel trends assumption!!!

(the same T)

| Group | Time Period | Outcome | Difference 1 | Difference 2 |
|-----------|----------------|-------------------|--------------|--------------|
| Trootmont | Pre-treatment | $Y = B_1$ | | |
| Treatment | Post-treatment | $Y = B_1 + T + D$ | T+D | |
| | Pre-treatment | $Y = B_0$ | | |
| Control | Post-treatment | $Y = B_0 + T$ | | |

| Intuitive Idea | Group | Time Period | Outcome | Difference 1 | Difference 2 |
|----------------|-----------|----------------|-------------------|--------------|--------------|
| | Treatment | Pre-treatment | $Y = B_1$ | T+D | |
| | Ireaument | Post-treatment | $Y = B_1 + T + D$ | | |
| | | Pre-treatment | $Y = B_0$ | | |
| | Control | Post-treatmen | $Y = B_0 + T$ | | |

Group Activity

In small groups,

- review slides 4-12 and think about how you would summarize this to a peer who missed class today
- come up with as many questions as you can about difference in differences (at least one)
- Be ready to share one question to the class

Difference in Differences Review Using Regression

Consider the following linear model for outcomes:

$$Y_{i,t} = \alpha + \gamma \text{Treated} + \lambda \text{Time} + \delta (\text{Treated} \times \text{Time}) + \varepsilon_{i,t}$$

- Treated is a binary variable (1 if in treatment group, 0 if in control group)
- Time is a binary variable indicating if this is the post-treatment period (1) or the pre-treatment period (0)
- Treated X Time is an interaction term

Difference in Differences Review Using Regression

Consider the following linear model for outcomes:

$$Y_{i,t} = \alpha + \gamma \text{Treated} + \lambda \text{Time} + \delta (\text{Treated} \times \text{Time}) + \varepsilon_{i,t}$$

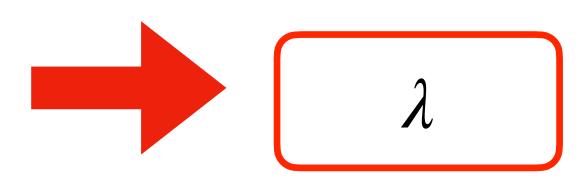
- Control pre-treatment: α
- Control post-treatment: $\alpha + \lambda$
- Treated pre-treatment: $\alpha + \gamma$
- Treated post-treatment: $\alpha + \gamma + \lambda + \delta$

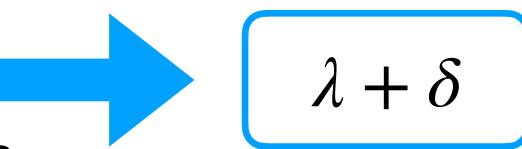
Using Regression

Consider the following linear model for outcomes:

$$Y_{i,t} = \alpha + \gamma \text{Treated} + \lambda \text{Time} + \delta (\text{Treated} \times \text{Time}) + \varepsilon_{i,t}$$

- Control pre-treatment: α
- Control post-treatment: $\alpha + \lambda$
- Treated pre-treatment: $\alpha + \gamma$
- Treated post-treatment: $\alpha + \gamma + \lambda + \delta$





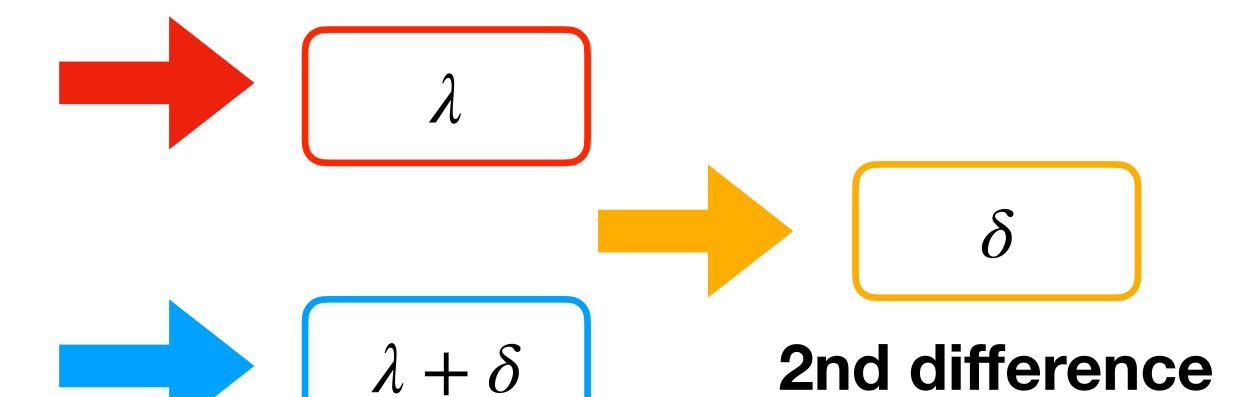
1st difference(s)

Using Regression

Consider the following linear model for outcomes:

$$Y_{i,t} = \alpha + \gamma \text{Treated} + \lambda \text{Time} + \delta (\text{Treated} \times \text{Time}) + \varepsilon_{i,t}$$

- Control pre-treatment: α
- Control post-treatment: $\alpha + \lambda$
- Treated pre-treatment: $\alpha + \gamma$
- Treated post-treatment: $\alpha + \gamma + \lambda + \delta$



1st difference(s)

Application

A Study of Decentralization on Public Services in Vietnam

- Introduced in lecture yesterday
- Looking at the effects of decentralizing government (treatment) on public services such as educational programs (pro4)
- Other variables in the data:
 - year: the year the data record is from (we'll focus on two periods, 2008 and 2010, since treatment was introduced in 2009)
 - post_treat: a binary variable indicated if the data record is from the pretreatment period (0) or the post-treatment period (1)

Your Turn in RMarkdown

A Study of Decentralization on Public Services in Vietnam

- Implement a linear regression model to estimate the treatment effect using a simple difference in differences (DID) design
 - Filter your data so that you only keep the years 2008 and 2010
 - Build a linear regression model

$$Y_{i,t} = \alpha + \gamma \text{Treated} + \lambda \text{Time} + \delta (\text{Treated} \times \text{Time}) + \varepsilon_{i,t}$$

Interpret the results to get the treatment effect estimate